A Guide To HyperBench

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Hyperbench News Hypergraphs - Search Submit Contact

Welcome to Hyperbench!

Overview

The goal of HyperBench is to provide, gather and analyze Hypergraphs and their properties. The focus of HyperBench is in the analysis of the hypertree width, generalized hypertree width and fractional hypertree width. Login

We currently have 2192 hypergraphs in our database.

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Changelog

Jan, 24th first preliminary version

Chapter 1

Welcome to HyperBench

HyperBench is a web platform to gather, analyze and publish hypergraphs, their corresponding hypertree width and further properties. In this short tutorial we explain the basic functionality that is available in the current version of HyperBench.

1.1 Menu Bar

The menu bar gives access to the following items:

- News
- Hypergraphs gives you access to all stored hypergraphs by category. The categories correspond to those given in [3]. Additionally, "All" lists all hypergraphs stored (Details in Section 1.2).
- Search (no functionality yet available)
- Submit (no functionality yet available)
- Contact

1.2 Hypergraph Category View

After selecting a hypergraph category, you are displayed the "Hypergraph Category View" (see Figure 1.1). In this view you see a list of all hypergraphs linked to this category. Each hypergraph can be linked to several categories (e.g. a "DaimlerChrysler" hypergraph is also a "CSP Other" hypergraph). The list of hypergraphs can be sorted by name, number of vertices and number of edges. With Show you are shown the "Hypergraph Details View" of the selected hypergraph (Details in Section 1.3). The "Download All" link allows you to download all hypergraphs in this category as a ZIP-file.

Summary of Properties. In order to view a summary of number of hypergraphs in this category having a specific property (*Degree*, *BIP*, *3-BIP*, *4-BIP* and *VC-dim*), click the "Summary of Properties" link. Click the link again to close the property page.

1.3 Hypergraph Details View

On this page you see the details of one hypergraph (see Figure 1.2). On the top you have the ability to show or download the current hypergraph. A hypergraph is displayed and stored as a text file with the following format:

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CSP Application							
Summary of Properties							
List of Hypergraphs Download All							
Show 10 v entries Search:							
Name	 Vertices 	Edges	÷				
Dubois-015.xml.hg	45	30	• Show				
Dubois-016.xmLhg	48	32	Show				
Dubois-017.xml.hg	51	34	Show				
Dubois-018.xml.hg	54	36	Show				
Dubois-019.xmLhg	57	38	Show				
Dubois-020.xml.hg	60	40	Show				
Dubois-021.xml.hg	63	42	Show				
Dubois-022.xml.hg	66	44	Show				
Dubois-023.xmLhg	69	46	Show				
Dubois-024.xml.hg	72	48	Show				

Figure 1.1 Hypergraph Category View

```
Hyperedge_1 (Vertex_1_1, Vertex_1_2, ..., Vertex_1_n1),
Hyperedge_2 (Vertex_2_1, Vertex_2_2, ..., Vertex_2_n2),
...
Hyperedge_1 (Vertex_m_1, Vertex_m_2, ..., Vertex_m_nm).
```

Due to this simple structure, we do not formally define the syntax of our format. Just note that the names of hyperedges and vertices may consist of any combination of lowerand uppercase letters, numbers, underscore, colon, etc. Comments start with '%' and continue until the end of the line. Some hypergraphs may also contain definitions within angle brackets in the header.

Properties. The properties tab shows the same properties summarized in the "Hypergraph Category View".

Hypertree Widths. A summary of the widths calculated by our various hypertree decomposition algorithms is displayed. The lower bounds for (generalized or fractional) hypertree width are calculated by looking for the highest width were a (generalized or fractional) hypertree decomposition has not been found. Having a lower bound for

fractional hypertree width implies the lower bound for generalized hypertree width and hypertree width and a lower bound for generalized hypertree width implies the lower bound for hypertree width. The upper bounds for (generalized) hypertree width are the smallest width were a(generalized or fractional) hypertree decomposition has been found. Having an upper bound for hypertree width implies the upper bound for generalized and fractional hypertree width and hypertree width and an upper bound for generalized hypertree width implies the upper bound for fractional hypertree width.

List of Hypertrees. The "List of Hypertrees" gives an overview of the tried algorithms on this hypergraph. The following columns are displayed:

- **ID**: an identifier for this hypertree
- **Hypertree**: If the algorithm returns *yes* then you can download the hypertree as a text file written in the Graph Modelling Language¹. If the algorithm returns *no* or *times out*, "HT not found!" is displayed.
- Width: The lowest hypertree width the algorithm has found.
- Time Used: The time the algorithm ran in seconds.
- **Killed By Timeout**: Is true in case the algorithm didn't succeed to either find or not find a hypertree decomposition of the given width.
- Date Created: The date and time the algorithm was run.
- Algorithm Name: The name of the algorithm according to the algorithms explained in [3]:
 - newdetkdecomp: a back-tracking based algorithm to find hypertree decompositions (algorithm type: "h") [2]. The version 2.0 is an improved version allowing for extensions used by next algorithms.
 - globalbipkdecomp: an algorithm to find generalized hypertree decompositions (algorithm type: "g"). This algorithm runs in polynomial time if the hypergraph has the bounded intersection property (BIP). For details see [1, 3].
 - localbipkdecomp: same as globalbipkdecomp.
 - balsepkdecomp: an algorithm to find generalized hypertree decompositions (algorithm type: "g"). This algorithm was first described in [3].
 - improvehd: an algorithm to find fractional hypertree decompositions (algorithm type: "f") by improving existing hypertree decomposition using fractional edge covers. This algorithm was first described in [3].
 - bestimprovehd: see improvehd
 - fracimprovehd: see improvehd

¹see https://en.wikipedia.org/wiki/Graph_Modelling_Language for a description. Use the yEd Graph Editor (https://www.yworks.com/products/yed) to display the hypertree

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Hyperbench	News	Hypergraphs 👻	Search	Submit (Contact						Login
	Pi-20)-10-20-	-30-0)2.xm	l.hg						
	Show									Download	
	Properti	es									
	Hypertree	e Widths									
		hw = 4			ghw = 4			1 < fhw <=	4		
	List of Hy	pertrees									
	Show 1	o 🗸 entries						Search			
	ID ÷	Hypertree	Width [‡]	Time 🔺 Used	Killed By 🕴	Date Created 🍦	Algorithm Name	Algorithm Version	Algorithm Type		
	2795	⊗HT not found!	1	0	false	2017-12-19 13:28:32	newdetkdecomp	2.0	h	Show	
	4486	⊗HT not found!	2	0	false	2017-12-19 13:28:46	newdetkdecomp	2.0	h	Show	
	380	⊗HT not found!	3	1	false	2017-12-19 13:28:13	balsepkdecomp	2.0	g	Show	
	6660	Ownload	4	102	false	2017-12-19 13:29:03	newdetkdecomp	2.0	h	Show	
	5707	⊗ HT not found!	3	156	false	2017-12-19 13:28:55	newdetkdecomp	2.0	h	Show	

Figure 1.2 Hypergraph Details View

All algorithms are on GitHub: https://github.com/TUfischl/newdetkdecomp.

- Algorithm Version: a version number for the algorithm.
- Algorithm Type: Either "h", "g" or "f" depending on whether the algorithm outputs a hypertree decomposition, a generalized hypertree decomposition or a fractional hypertree decomposition of the hypergraph.
- Show: Shows the "Hypertree View", see Section 1.4.

1.4 Hypertree View

The Hypertree View displays the hypertree for a specific hypergraph (see Figure 1.3). As before you are able to download the hypertree as a text file written in the Graph Modelling Language. Additionally, all properties given above (in Section 1.3) can also be viewed here.

Hypertree for PI	-20-10-20-30-02.xml.hg	
Download		
Туре:	Hypertree Decomposition	
Width:	4	
Time used:	102	
Killed by timeout:	false	
Date created:	2017-12-19 13:29:03	

Figure 1.3 Hypergraph Details View

Bibliography

- Wolfgang Fischl, Georg Gottlob, and Reinhard Pichler. General and fractional hypertree decompositions: Hard and easy cases. In *Proc. PODS 2018 (to appear)*, 2018.
- [2] Georg Gottlob and Marko Samer. A backtracking-based algorithm for hypertree decomposition. ACM Journal of Experimental Algorithmics, 13, 2008.
- [3] Davide M. Longo Wolfgang Fischl, Georg Gottlob and Reinhard Pichler. HyperBench: A benchmark and tool for hypergraphs and empirical findings. forthcoming report, 2018.